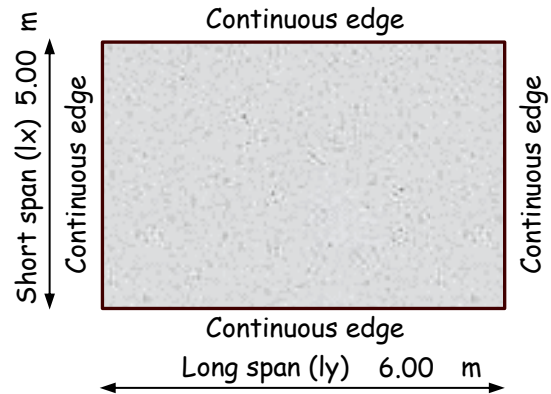


SLAB DESIGN (Limit State Design of IS 456:2000)

DESIGN INPUT:

(a) Materials:

Slab thk. (D) = 250 mm
 Floor finish thk. (ff) = 75 mm
 Concrete cover (cc) = 15 mm
 Min. dia. of main steel = 10 mm
 Min. dia. of distn. steel = 8 mm
 Limiting basic 'span/ eff. depth' value = 26
 Concrete grade (f_{cu}) = 25 MPa
 Reinf't. type: HYSD Bars
 Reinf't. grade (f_y) = 500 MPa



Slab dimensions/ Edge conditions

(b) Loads:

[i] Dead Load (DL):

Self weight of slab = $25 \times D = 6.25 \text{ kN/m}^2$
 Floor finish load = $20 \times ff = 1.5 \text{ kN/m}^2$
 Ceiling load @ 0.5 kN/m^2
 Services @ 0.5 kN/m^2
 Other loads (if any) @ 0.25 kN/m^2
 i.e. Total DL = 9 kN/m^2

[ii] Live Load (LL):

Live Load @ 3 kN/m^2
 Other loads (if any) @ 0.5 kN/m^2
 i.e. Total LL = 3.5 kN/m^2

[iii] Blast Load, BL @ 20.7 kN/m^2

[iv] Factored Load (w):

$w = 1.5 \text{ DL} + 1.5 \text{ LL} + 1.5 \text{ BL} = 1.5 \times 9 + 1.5 \times 3.5 + 1.5 \times 20.7 = 49.8 \text{ kN/m}^2$

FLEXURE:

Aspect ratio = $l_y / l_x = 6 / 5 = 1.2 \leq 2$ (2-way slab)

Eff. depth, $d_1 = D - cc - D_{x,bot} / 2 = 250 - 15 - 16 / 2 = 227 \text{ mm}$

Eff. depth, $d_2 = D - cc - D_{x,bot} - D_{y,bot} / 2 = 250 - 15 - 16 - 10 / 2 = 214 \text{ mm}$

(a) Short span moments:


$M_x (+ve) = 0.032 w.l_x^2 = 0.032 \times 49.8 \times 5^2 = 39.84 \text{ kN.m/m}$

$M_x (-ve) = 0.043 w.l_x^2 = 0.043 \times 49.8 \times 5^2 = 53.54 \text{ kN.m/m}$

(b) Long span moments:

$M_y (+ve) = 0.024 w.l_x^2 = 0.024 \times 49.8 \times 5^2 = 29.88 \text{ kN.m/m}$

$M_y (-ve) = 0.032 w.l_x^2 = 0.032 \times 49.8 \times 5^2 = 39.84 \text{ kN.m/m}$

	Client : EPCENTER CONSULTING ENGINEERS F					Element: SLAB
	Project:	1001	Doc. No.:	1001-CV-001		Location/ - Designation: S1
Rev.	Ppd. by	Date	Chd. by	Date		
Project:	WAREHOUSE	2				Sht. 1 of 2
Structure:	A-BUILDING	1				
Type:	PEB	0	-	20-12-2025	-	

SLAB REINFORCEMENT:**(a) Distribution Steel:**

Distn. steel in each dirn @ 0.12% = 300 mm²/m

Max. spg. of main bars = Min (3d, 300 mm) = 200 mm

Max. spg. of distn. bars = Min (5d, 450 mm) = 300 mm

Steel in edge strips @ Lx (2 nos. 0.75 m wide) & @ Ly (2 nos. 0.6 m wide):

Provide T8 @ 300 c/c (T&B) => As = 167.6 mm²/m (i.e. pt = 0.12%)

$$\Rightarrow MR_{min} = 0.87 \times F_y \times (A_s / (b \times d)) \times [1 - 1.005 \times \{A_s / (b \times d) \times F_y / F_{cu}\}] \times (b \times d^2)$$

$$= 15.35 \text{ kN.m}$$

(b) Steel @ short span (Middle strip 4.5m wide):

Provide T16 @ 125 c/c @ Bottom => As = 1608.5 mm²/m (i.e. pt = 0.71%)

$$\Rightarrow MR = 0.87 \times F_y \times (A_s / (b \times d)) \times [1 - 1.005 \times \{A_s / (b \times d) \times F_y / F_{cu}\}] \times (b \times d^2)$$

$$= 136.21 \text{ kN.m} > = Mu (= 39.84), \text{ OK}$$

Provide T16 @ 100 c/c @ Top => As = 2010.6 mm²/m (i.e. pt = 0.89%)

$$\Rightarrow MR = 0.87 \times F_y \times (A_s / (b \times d)) \times [1 - 1.005 \times \{A_s / (b \times d) \times F_y / F_{cu}\}] \times (b \times d^2)$$

$$= 163.19 \text{ kN.m} > = Mu (= 53.54), \text{ OK}$$

(c) Steel @ long span (Middle strip 3.75m wide):

Provide T10 @ 175 c/c @ Bottom => As = 448.8 mm²/m (i.e. pt = 0.21%)

$$\Rightarrow MR = 0.87 \times F_y \times (A_s / (b \times d)) \times [1 - 1.005 \times \{A_s / (b \times d) \times F_y / F_{cu}\}] \times (b \times d^2)$$

$$= 40.02 \text{ kN.m} > = Mu (= 29.88), \text{ OK}$$

Provide T10 @ 125 c/c @ Top => As = 628.3 mm²/m (i.e. pt = 0.29%)

$$\Rightarrow MR = 0.87 \times F_y \times (A_s / (b \times d)) \times [1 - 1.005 \times \{A_s / (b \times d) \times F_y / F_{cu}\}] \times (b \times d^2)$$

$$= 55.04 \text{ kN.m} > = Mu (= 39.84), \text{ OK}$$

SHEAR:

Shear force, V = 0.6 x w x lx = 149.4 kN/m

Nominal shear stress, $v_u = V / (b \times d_1) = 0.66 \text{ MPa}$

[Note: b = slab width = 1000 mm in above equation]

Tension steel considered for shear check, $pt_{she} = 0.89\%$

Max. shear stress, $T_{c,max}$ (Table 20) = 3.1 MPa; $v_u (= 0.66) < T_{c,max} / 2 (= 1.55), \text{ OK}$

Design shear strength of concrete, v_c (Table 19) = 0.61 MPa

Modification factor for shear strength of slab, k (Clause 40.2.1.1) = 1.1

Modified shear strength of slab, $k \times v_c$ (Clause 40.2.1.1) = 0.67

Since $v_u (= 0.66) < k.v_c (= 0.67), \text{ OK}$


DEFLECTION:

$A_{s,pro} = 1608.5 \text{ mm}^2$ & $A_{s,req} = 1608.5 \times (39.84 / 136.21) = 470.5 \text{ mm}^2$

$f_s = \text{Max} [(0.58 f_y A_{s,req} / A_{s,pro}), 120] = \text{Max} [(0.58 \times 500 \times 470.5 / 1608.5), 120] = 120 \text{ MPa}$

$f_s = 120 \text{ MPa}$ & $pt = 0.71 \Rightarrow MF_t = 1.89$; $pc = 0.89 / 2 = 0.45 \Rightarrow MF_c = 1.14$

$lx / (d_1.MF_t.MF_c) = 5000 / (227 \times 1.89 \times 1.14) = 10.2 < = 26 \text{ (OK)}$

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	Project:	1001	Doc. No.:	1001-CV-001		Location/ - Designation: S1
Rev.	Ppd. by	Date	Chd. by	Date		
Project:	WAREHOUSE	2				Sht. 2 of 2
Structure:	A-BUILDING	1				
Type:	PEB	0	-	20-12-2025	-	



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SOFTWARE SOLUTIONS

Client:	EPCENTER CONSULTING ENGINEERS PVT. LTD.	Rev.:	0	Date:	20-12-2025
Project:	1001	Prep. by:	-	Chd. By:	-
Structure:	A-BUILDING	Rev.:	0	Date:	
Area/Unit:	PEB	Prep. by:		Chd. By:	
Member:	SLAB	Rev.:	0	Date:	
		Prep. by:		Chd. By:	

Member	Bar mark	Type	Dia. (mm)	No of mbrs	Bars in each	Shape code	Bar dimensions (mm)					Total bars	Bar length (mm)	Tot. bar length (m)	Total weight (kg)	Shape
							A	B	C	D	E					
S1	01	T	16	1	46	26	546	288.5	4450	-	-	46	5284	243.09	383.67	
	02	T	10	1	28	26	656	274.4	5350	-	-	28	6280	175.85	108.42	
	03	T	16	1	57	0	1500	-	-	-	-	57	1500	85.50	134.95	
	04	T	16	1	57	0	1500	-	-	-	-	57	1500	85.50	134.95	
	05	T	10	1	38	0	1800	-	-	-	-	38	1800	68.40	42.17	
	06	T	10	1	38	0	1800	-	-	-	-	38	1800	68.40	42.17	
	07	T	8	1	6	0	5400	-	-	-	-	6	5400	32.40	12.78	
	08	T	8	1	8	0	6400	-	-	-	-	8	6400	51.20	20.20	